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Introduction					
Activity Back-Tracing in SNNs Shortest Path Target	Motivation <ul> <li>Training of Spiking Networks challenging</li> </ul>	Network Archited	ture for BT in S-HTM	Background: S-HTM	
	$\rightarrow$ no backwards information, not differentiable $\rightarrow$ backpropagation only using approximations	<b>Input</b> <u>Stimulus</u> → Replay	I. Replay - BI $A \rightarrow B  C \bigcirc G$ $A \rightarrow B  D \stackrel{=}{=} E - F - G$	• Spiking hierarchical temporal memory (S-HTM) [3] $\rightarrow$ Sequence prediction, mismatch det., and replay	
$D \longrightarrow E \longrightarrow F$ Alternative Path	<ul> <li>Classic graph algorithms use back-tracing of information for, e.g., path planning</li> </ul>	Excitatory Subpopulations activated path 1		$\rightarrow$ Sequences: excitatory con., e.g., $\mathcal{M}_A \rightarrow \mathcal{M}_B$	
Back-Tracing	<ul> <li>SNNs for graph computations</li> </ul>	connections> path 2 inhibited connections path 2	$\mathcal{M}_{G}$ $\mathcal{M}_{B}$	• Population encoding for locations $(M_{t})$	



 $[A] \xrightarrow{B} (C) \xrightarrow{G} (G)$   $\rightarrow$  require additional learning rules [1] or backwards connections [2]  $\rightarrow$  rely on single neuron representation for location [1, 2]



- Parallel replay of all sequences from start location
- Path/Place selection through global inhibition, triggered by threshold adaptation during replay

## **Method:** Back-Tracing for Path Planning & Place Disambiguation

## **SHORTEST PATH FINDING**

1. Manual target selection (prior Replay 2)  $\rightarrow$  Reduce threshold  $\theta_{\mathcal{M}_{\Phi}}$  of target pop. ( $\mathcal{M}_{\Phi}$ ):

 $\theta_{\mathcal{M}_{\Phi}}(r_0) = \theta_{\mathcal{M}_{\Phi}}(r_0) \cdot \lambda_{\Phi}, \text{ target rate } \lambda_{\Phi}$ 

2. **Back-tracing rule** (Replay  $2 \rightarrow 3$ )  $\rightarrow$  Spike timing-dependent threshold adaptation (STDTA) for each  $l \in \{A, B, C, ...\}$ :

 $\theta_{\mathcal{M}_l}(r) = \theta_{\mathcal{M}_l}(r-1) \cdot \lambda_b$ , back-tracing rate  $\lambda_b$ 



### **PLACE DISAMBIGUATION**

1. Neuronal populations encode ambiguity  $\rightarrow$  Population  $\mathcal{M}_l$  represents multiple contexts  $\rightarrow$  # active neurons (replay)  $\propto$  ambiguity of place 2. Target selection by ambiguity (Replay 1)  $\rightarrow$  Ambiguity dep. threshold adaptation (ADTA):  $\theta_{\mathcal{M}_{I}}(r) = \theta_{\mathcal{M}_{I}}(r) \cdot e^{\gamma(F_{a}-F_{\rho})} \cdot \lambda_{a}$ , with

active  $(F_a)$  and targeted  $(F_{\rho})$  # neurons per context, slope of in-/decrease ( $\gamma$ ) and ambiguity rate ( $\lambda_a$ )

#### **Experimental Results**

#### **SHORTEST PATH FINDING**

 $\Rightarrow$  Back-tracing in SNNs without connection modifications not yet studied



- 1. Reduced threshold of target population  $(\mathcal{M}_J)$ 
  - $\rightarrow$  Inhibition of simultaneously active populations ( $\mathcal{M}_G$ )
- 2. Back-tracing of information through backwards threshold update (STDTA)
  - $\rightarrow$  Inhibition of alt. paths (C-D-E-G-I-J), selection of shortest path (C-F-H-J)

#### **PLACE DISAMBIGUATION**



- 1. Case: Binary disambiguation (Envs. 1, 2)
- $\rightarrow$  Populations with lower number of active neurons spike earlier (ADTA)
- 2. Case: Multiple ambiguities (Envs. 1, 2, 3)
  - $\rightarrow$  Discrimination between ambiguities: adjust ambiguity rate  $\lambda_a$

Conclusion	Limitations & Outlook		
. Shortest path finding in SNNs with back-tracing $\rightarrow$ Threshold adaptation (STDTA) during replay enables information back-tracing with local learning rule $\rightarrow$ Shortest path found in $\leq L$ (path length) replays 2. Place disambiguation for localization improvement	<ul> <li>Current limitations</li> <li>Path length is limited by max. threshold adaptation</li> <li>Ambiguity discrimination requires parameter adjustment</li> </ul>	<ul> <li>Towards real-time neuro-robotic navigation</li> <li>Integration of real-world sensor data processing with multi- column structure for robotic application</li> <li>Neuromorphic implementation (Loihi 2) for real-time evaluation</li> </ul>	
$\rightarrow$ Ambiguity representation with population code	Acknowledgements	References	
$\rightarrow$ Discrimination of places with varying ambiguity us- ing ADTA $\rightarrow$ Path planning to selected place with low ambiguity	This research was partially supported by funding from ARC DECRA Fellowship DE24010014 and an ARC Laureate Fellowship FL210100156 to MM. The authors acknowledge continued s from the Queensland University of Technology (QUT) through the Centre for Robotics. This has been supported by a fellowship of the German Academic Exchange Service (DAAD) and FFG, Contract No. 881844: "Pro <sup>2</sup> Future".	<ul> <li>9 to TF</li> <li>Support</li> <li>s work</li> <li>by the</li> <li>[1] Filip J. Ponulak et al. "Rapid, Parallel Path Planning by Propagating Wavefronts of Spiking Neural Activity". In: <i>Frontiers in Computational Neuroscience</i> 7 (July 2013).</li> <li>[2] Catherine D. Schuman et al. "Shortest Path and Neighborhood Subgraph Extraction on a Spiking Memristive Neuromorphic Implementation". In: <i>Proceedings of the 7th Annual Neuro-inspired Computational Elements Workshop</i>. NICE '19. New York, NY, USA: Association for Computing Machinery, Mar. 2019, pp. 1–6.</li> <li>[3] Younes Bouhadjar et al. "Sequence learning, prediction, and replay in networks of spiking neurons". en. In: <i>PLOS Computational Biology</i> 18.6 (June 2022).</li> </ul>	